

## 9.5 Congruent Figures

**Essential Question:** What is the connection between transformations and figures that have the same shape and size?

**Learning Goal:** Students will be able to understand that a two-dimensional figure is congruent to another if the second can be obtained from the first by a sequence of rotations, reflections, and translations; given two congruent figures, describe a sequence that exhibits the congruence between them.

**MAFS.8.G.1.2**

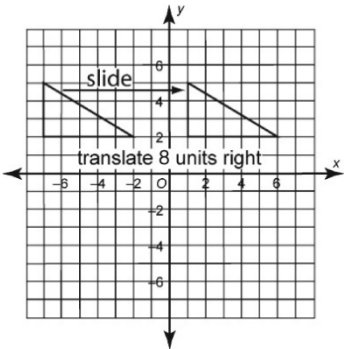
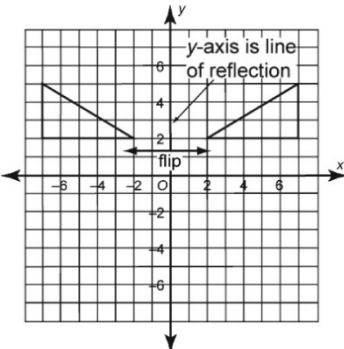
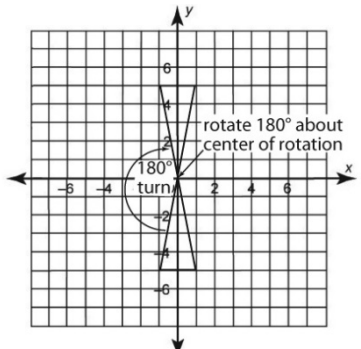
**Notes:**

### Congruent Figures

Recall that the segments and their images have the same length and angles and their images have the measure under a translation, reflection, and rotation. Two figures are said to be congruent if one can be obtained from the other by a sequence of translations, reflections, and rotations.

Congruent figures have the same size and shape.

### How the positions change

<b>Translation</b> Think: <i>Slide</i>	<b>Reflection</b> Think: <i>Flip over a line</i>	<b>Rotation</b> Think: <i>Turn about a point</i>
		

### How the coordinates change

<b>Translation</b> Think: <i>Slide</i>	<b>Reflection</b> Think: <i>Flip</i>	<b>Rotation</b> Think: <i>Turn</i>
$(x, y) \rightarrow (x + a, y + b)$ translates left or right $a$ units and up or down $b$ units	$(x, y) \rightarrow (-x, y)$ reflects across the $y$ -axis $(x, y) \rightarrow (x, -y)$ reflects across the $x$ -axis	$(x, y) \rightarrow (-x, -y)$ rotates $180^\circ$ around origin $(x, y) \rightarrow (y, -x)$ rotates $90^\circ$ clockwise around origin $(x, y) \rightarrow (-y, x)$ rotates $90^\circ$ counterclockwise around origin